

# Common Core Standards

## Grade 4

### 4.OA.A.3

Solve multistep word problems using the four operations; represent with equations; assess reasonableness.

The grocery coupons, hose-filling, and other real-world stories require two- and three-step solutions and ask students to check that their final answers make sense.

### 4.OA.A.2

Multiply or divide to solve word problems involving multiplicative comparison. Scenarios such as doubling fruit weight or scaling cookie batches have students compare quantities multiplicatively, not additively.

### 4.NBT.B.5

Multiply a whole number of up to four digits by a one-digit whole number. Many quick-fire drills include products like  $25 \times 3$ , reinforcing single-digit-by-multidigit multiplication fluency.

### 4.NBT.B.6

Find whole-number quotients with up to four-digit dividends and one-digit divisors. Expressions such as  $60 \div 6$  or  $100 \div (5 \times 2)$  give repeated practice with single-digit divisors in larger calculations.

### 4.MD.A.2

Use the four operations to solve word problems involving distances, intervals, liquid volume, money, etc. Power-bill, road-trip rental, and pool-filling problems integrate real units and demand correct operation choice and order.

## Grade 5

### 5.OA.A.1

Use parentheses, brackets, or braces in numerical expressions and evaluate them. Every PEMDAS drill relies on correctly interpreting nested grouping symbols.

#### 5.OA.A.2

Write and interpret simple numerical expressions.

Students translate word problems into expressions and explain, for example, why  $7+3\times 4-2=17$ .

#### 5.NBT.B.5

Fluently multiply multidigit whole numbers.

Multi-step expressions embed products like  $12\times 5$  that strengthen long-multiplication skills.

#### 5.NBT.B.6

Find whole-number quotients of multidigit dividends.

Problems such as  $600\div(2\times 5)$  provide systematic division practice within more complex expressions.

#### 5.NBT.B.7

Add, subtract, multiply, and divide decimals to hundredths.

Money contexts (\$1.50 cookies, \$0.30 per mile, sales tax and tip) require precise decimal arithmetic.

#### 5.NF.B.3

Interpret a fraction as division of the numerator by the denominator.

Distributive-via-reciprocals drills split single fraction bars into separate quotients, reinforcing the "fraction as division" concept.

### **Grade 6**

#### 6.EE.A.1

Write and evaluate numerical expressions involving whole-number exponents.

Nearly every drill uses exponents such as  $3^3$  or  $4^2$ , giving systematic practice with powers.

#### 6.EE.A.2

Write, read, and evaluate expressions with variables using order of operations.

The numeric PEMDAS routines here mirror exactly what students will do when variables replace numbers in grade 6.

#### 6.EE.A.3

Apply the properties of operations to generate equivalent expressions.

Dedicated sets on commutative, associative, distributive, identity, inverse, zero, and closure properties show students how to manipulate expressions safely.

#### 6.EE.A.4

Identify when two expressions are equivalent.

Students prove, for example, that  $8 \div \frac{1}{4} = 8 \times 4$  or that  $(2 \times 5) \times 3 = 2 \times (5 \times 3)$ .

#### 6.NS.A.1

Interpret and compute quotients of fractions; solve word problems involving division of fractions.

Reciprocal-inversion drills such as  $18 \div \frac{3}{2}$  target fraction division directly.

#### 6.NS.B.2

Fluently divide multi-digit numbers using the standard algorithm.

Expressions with quotients like  $6000 \div (2 \times 5)$  demand solid long-division skills inside larger computations.

#### 6.NS.B.3

Fluently add, subtract, multiply, and divide multi-digit decimals.

Problems that chain decimal operations—calculating electricity costs or restaurant bills with tax and tip—match this fluency standard.

# Answers

## Quick Fire Drills Set 1

1.  $8 + 6 \times 2 \rightarrow 20$
2.  $(9 - 4)^2 \div 5 \rightarrow 5$
3.  $18 \div 3 \times (2 + 7) \rightarrow 54$
4.  $7 + 3 \times 4 - 2 \rightarrow 17$
5.  $(6 + 2) \times 5 - 3^3 \rightarrow 13$
6.  $48 \div (2 \times 4) + 6 \rightarrow 12$
7.  $5 \times [4 + (6 - 3)^2] \rightarrow 65$
8.  $(15 - 3) \div 3 + 2^2 \times 5 \rightarrow 24$
9.  $10 - 2 \times (8 \div 2^3) \rightarrow 8$
10.  $(9 + 1) \times (7 - 4) \div 2 + 5 \rightarrow 20$

## Quick Fire Drill Set 2

1.  $5 \times (3 + 4)^2 \div 7 \rightarrow 35$
2.  $12 - 6 \div 3 + 2^2 \rightarrow 14$
3.  $(8 + 2) \times 3 - 4^3 \div 2 \rightarrow -2$
4.  $9 + 18 \div (3 \times 2) - 5 \rightarrow 7$
5.  $7^2 - (3 + 5) \times 4 \rightarrow 17$
6.  $50 \div 5 \times (6 - 2) + 1 \rightarrow 41$
7.  $(14 - 6)^2 \div 4 - 9 \rightarrow 7$
8.  $3 \times 2^2 - (10 \div 2) + 6 \rightarrow 49$
9.  $(27 \div 3) \times (4 + 1) - 2^2 \rightarrow 41$
10.  $100 \div (5 \times 2) + 3^3 - 7 \rightarrow 30$

## Quick Fire Drills Set 3

1.  $(18 \div 3)^2 - 4 \times 5 \rightarrow 49$
2.  $7 + 5 \times (12 - 8) \div 2 \rightarrow 17$
3.  $60 \div (4 + 2) + 3^3 \rightarrow 53$
4.  $9 \times 2^2 - (16 \div 4) + 1 \rightarrow 29$
5.  $(25 - 10) \div 5 + 6 \times 7 \rightarrow 44$
6.  $12 + 3 \times [8 - (6 \div 3)] \rightarrow 27$
7.  $5^2 - (9 - 4) \times 3 \rightarrow 10$
8.  $(42 \div 6) \times (3 + 2) - 7 \rightarrow 28$
9.  $100 \div (2 \times 5) + 4^3 \rightarrow 76$
10.  $8 \times (6 - 2)^2 \div 4 - 11 \rightarrow 45$

## Quick Fire Drill Set 4

1.  $(4 + 2) \times 3^2 \div 6 \rightarrow 9$
2.  $18 - 3^2 \times 2 + 4 \rightarrow 4$
3.  $8 \times (5 - 2) + 12 \div 3 \rightarrow 28$
4.  $(10 + 5) \div (2 + 3) + 6 \rightarrow 9$
5.  $6^3 \div (9 \times 2) - 7 \rightarrow 5$
6.  $45 \div (3 \times 3) + 2^2 \times 4 \rightarrow 21$
7.  $(20 - 8) \times 2 + 30 \div 5 \rightarrow 30$
8.  $14 + 6 \times (9 - 7)^2 - 8 \rightarrow 30$
9.  $(36 \div 4)^2 - 5 \times 4 \rightarrow 61$
10.  $3 \times 7 + 4^2 - 6 \div 2 \rightarrow 34$

### Quick Fire Drills Set 5

1.  $6 + 4 \times (9 - 2) \div 7 \rightarrow 10$
2.  $(3^3 - 5) \times 2 + 8 \rightarrow 52$
3.  $50 \div (2 \times 5) + 6^2 - 13 \rightarrow 28$
4.  $7 \times (14 - 8) - 3^2 \rightarrow 33$
5.  $100 - 4 \times (6 + 2)^2 \div 8 \rightarrow 68$
6.  $(18 \div 3 + 5) \times 4 - 12 \rightarrow 32$
7.  $9^2 \div (3 \times 3) + 7 - 5 \rightarrow 11$
8.  $60 \div 5 - (2 + 4) \times 3 \rightarrow -6$
9.  $(5 + 7)^2 \div 3 - 16 \rightarrow 32$
10.  $8 \times 2^3 - (9 - 3) \div 2 \rightarrow 61$

### Word Problems

#### Card 1 Set 2

##### Grocery coupon mix-up

Story in symbols

Double the 3 lb of oranges:  
 $3 \times 2 = 6$  lb

Price of fruit:  
 $6 \times \$2 = \$12$

Apply the \$4 coupon:  
 $\$12 - \$4 = \$8$

Why PEMDAS?

Multiplication (weight  $\times$  price) must come before subtraction (coupon) or the discount would be taken off the wrong figure.

#### Card 2 Set 2

##### Patio project

Story in symbols

Side length:

$3 + 5 = 8$  m (parentheses first)

Area of the square patio:  
 $8^2 = 64$  m<sup>2</sup> (exponent next)

Stone cost:  
 $64 \times \$12 = \$768$

Rebate:  
 $\$768 - \$40 = \$728$

Why PEMDAS?

If squaring had been done before adding, or the rebate subtracted too early, the cost would be wrong.

#### Card 3 Set 2

##### Road-trip rental

Story in symbols

Mileage charge:  
 $120 \text{ mi} \times \$0.30 = \$36$

Day's total:  
 $\$50 + \$36 = \$86$

Each friend pays:  
 $\$86 \div 4 = \$21.50$

Why PEMDAS?

Mileage (a multiplication) is computed before it is added to the fixed daily fee, then the grand total is divided equally.

**Card 4 Set 2**  
**Classroom layout**

Story in symbols

Desks per row:  
 $4+3=7$

Build six rows:  
 $7\times 6=42$

Remove five:  
 $42-5=37$

Why PEMDAS?  
Grouping the  $4 + 3$  first is essential; if you multiplied before adding you would create only 4 desks per row.

**Card 5 Set 2**  
**Bake-sale math**

Story in symbols

Cookies sold:  
 $8 \text{ doz} \times 12 = 96$

Revenue:  
 $96 \times \$1.50 = \$144$

Ingredient cost:  
 $0.40 \times \$144 = \$57.60$

Profit to donate:  
 $\$144 - \$57.60 = \$86.40$

Why PEMDAS?  
Percentages are multiplications that must precede subtraction, otherwise one would subtract before the expense is even found.

**Card 6 Set 2**  
**Power-bill check-up**

Story in symbols

Convert power:  
 $60 \text{ W} = 0.06 \text{ kW}$

Monthly hours:  
 $5 \times 30 = 150 \text{ h}$

Energy used:  
 $0.06 \times 150 = 9 \text{ kWh}$

Cost:  
 $9 \times \$0.15 = \$1.35$

Why PEMDAS?  
Each line is a multiplication; chaining them in the right sequence ( $\text{kW} \times \text{h}$  before multiplying by price) keeps units consistent.

**Card 7 Set 2**  
**Filling the backyard pool**

Story in symbols

First 3 h with both hoses:  
 $(600+400) \times 3 = 1000 \times 3 = 3000 \text{ L}$

Next 2 h with Hose A only:  
 $600 \times 2 = 1200 \text{ L}$

Water now:  
 $500+3000+1200=4700 \text{ L}$

Why PEMDAS?  
The bracketed addition combines the two flow rates before multiplying by time, then all volumes are added to the initial 500 L.

**Card 8 Set 2**  
**Dinner with tax & tip**

Story in symbols

Entrées:  
 $3 \times \$18 = \$54$

Sub-total:  
 $\$54 + \$9 = \$63$

Tax:  
 $0.08 \times \$63 = \$5.04$

Post-tax total:  
 $\$63 + \$5.04 = \$68.04$

Tip:  
 $0.20 \times \$68.04 = \$13.61$  (rounded)

Grand total:  
 $\$68.04 + \$13.61 = \$81.65$

Share per diner:  
 $\$81.65 \div 3 \approx \$27.22$

Why PEMDAS?  
Percent calculations (multiplication) precede their associated additions, and the tip percentage must be taken on the taxed amount, not the untaxed subtotal.

**Card 9 Set 2**  
**Six-month savings plan**

Assumption used – the 2 % interest is compounded monthly only on the opening \$2 000, while each \$150 deposit earns no interest during the six-month window.

Story in symbols

Opening balance growth:  
 $\$2000 \times (1.02)^6 = \$2252.32$

Total deposits:  
 $6 \times \$150 = \$900$

Final balance:  
 $\$2252.32 + \$900 = \$3152.32$

Why PEMDAS?  
The exponent handles compounding before any addition. Deposits are then added, keeping the timeline clear.

**Card 10 Set 2**  
**Carbon-footprint swap**

Story in symbols

Beef meals per 4 weeks:  
 $4 \text{ meals/week} \times 4 = 16$

CO<sub>2</sub> saved per meal:

$5 \text{ kg} \times 0.60 = 3 \text{ kg}$

Total CO<sub>2</sub> avoided:  
 $16 \times 3 = 48 \text{ kg}$

Why PEMDAS?  
The percentage reduction (multiplication) is applied before scaling up to the month-long total.

The quick-fire drills that follow make use of the previous skills used in PEMDAS along with the multiplication property being studied.

### Card MP1

$$3(5 + 2) - 4^2 \rightarrow 5$$

$$2(7 - 3) + 5 \times (6 - 2) \rightarrow 28$$

$$6(4 + 3^2) \div 3 \rightarrow 26$$

$$(5 + 1)(8 - 2) - 10 \rightarrow 26$$

$$7^3 - 2(9 - 4)^2 \rightarrow 293$$

$$4(12 \div 3 + 5) - 6 \rightarrow 30$$

### Card MP2

$$(-8 \times -3) + 5^2 = 29$$

$$\frac{3}{4} \times \frac{8}{3} - 1 = 1$$

$$\sqrt{5} \times \sqrt{20} \div 2 = 5$$

$$2\pi \times 1 - \frac{3}{2}\pi = \frac{1}{2}\pi$$

$$(-7 \times 6) \div (-3) = 14$$

$$(5 \times 0.6)^2 - 2 = 7$$

### Card MP3

$$8 \times \frac{1}{8} + 3^2 = 10$$

$$\frac{5}{9} \times \frac{9}{5} - 4 = -3$$

$$\left(-7 \times -\frac{1}{7}\right)^b + 2 = 3$$

$$6^2 \div \left(3 \times \frac{1}{3}\right) = 36$$

$$\pi \times \frac{1}{\pi} \div 2 \times 5 = 11$$

$$\left(\frac{\sqrt{3}}{2} \times \frac{2}{\sqrt{3}}\right)^3 - 5 = -4$$

### Card MP4

$$5 \times 0 + 7^2 = 49$$

$$3^3 - (0 \times 12) \div 4 = 27$$

$$(8 + 2) \times 0 + 15 = 15$$

$$12 + (7 \times 0) - 5^2 = -13$$

$$(14 \div 2) \times 0 + 3^2 = 9$$

$$\left(\sqrt{16} \times 0\right)^2 + 1 = 1$$

### Card MP5

$$1 \times 9 + 4^2 = 25$$

$$(8^2 \div 4) \times 1 + 3 = 19$$

$$(6 + 1) \times 1 + 7 = 14$$

$$5^3 - (1 \times 10) \div 2 = 120$$

$$1 \times \pi + 2^2 \times 3 = \pi + 12$$

$$(20 \div 4)(1 + 2) \times 1 - 5 = 10$$

### Card MP6

$$(2 \times 5) \times 3 - 4^2 = 14$$

$$6 + (4 \times 2) \times 5 = 46$$

$$(3 \times 4) \times 2^2 \div 8 = 6$$

$$7^2 - 2 \times (5 \times 3) = 19$$

$$\left((1 + 1) \times 3\right) \times 5 - 7 = 23$$

$$2 \times (3 \times (4 \times 5)) \div 10 = 12$$

**Card MP7**

$$7 \times 4 + 3^2 = 37$$

$$(5 + 1) \times 9 \times 2 - 8 = 100$$

$$4 \times (-3) \div 2 + 10 = 4$$

$$2^3 + 8 \times 0.5 - 6 = 6$$

$$(9 - 4)^2 - 1 \times \pi = 25 - \pi$$

$$8 \times \frac{3}{4} + (2^3 - 3) = 7$$

**Card DP1**

$$(14 - 6) \div 1 + 3^2 = 17$$

$$4 \times (9 \div 1) - 2^3 = 28$$

$$(18 \div 1) \div 3 + 7 = 13$$

$$5^2 + (12 \div 1) \times 2 = 49$$

$$(10 + 5) \div 1 - (4 \times 2) = 7$$

$$2 \times [(8 \div 1) + 3] - 4 = 18$$

**Card DP2**

$$(0 \div 6) + 8^2 = 64$$

$$5 \times (0 \div 4) + 3 = 3$$

$$(12 - 12) \div 3 + 7 = 7$$

$$9^2 - (0 \div 2) - 81 = 0$$

$$(0 \div 9) \times 5 + 2^2 = 4$$

$$[(6 \times 0) \div 3] + (10 - 10) = 0$$

**Card DP3**

$$14 \div (7 - 7) + 3 = \text{undefined}$$

$$5 \times [4 \div (2 - 2)] - 1 = \text{undefined}$$

$$(3^2 - 9) \div 0 + 8 = \text{undefined}$$

$$16 \div (4 \times 0) + 2 = \text{undefined}$$

$$(12 + 6) \div (18 - 18) - 5 = \text{undefined}$$

$$25 \div (5 - 5) + 4^2 = \text{undefined}$$

**Card DP4**

$$8 \div (1/4) - 3^2 = 23$$

$$6 \times (3/2 \div 1/3) + 4 = 31$$

$$9 \div (3/4) - 5 = 7$$

$$(15 \div 5) \div (1/3) - 4 = 5$$

$$4 \times [10 \div (2/5)] - 6 = 94$$

$$18 \div (3/2) + 1 = 13$$

**Card DP5**

$$(12 + 24) \div 6 + 2^2 = 10$$

$$(5^2 + 15) \div 5 - 3 = 5$$

$$7 + (18 - 6) \div 3 = 11$$

$$(16 + 8) \div (2^2) + 1 = 7$$

$$(30 + 15 - 9) \div 3 + 2^2 = 16$$

$$(4 \times 5 + 2^3) \div 2 - 6 = 8$$